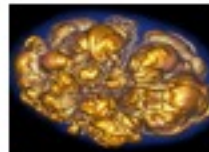
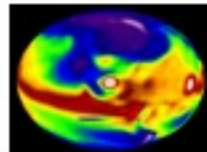
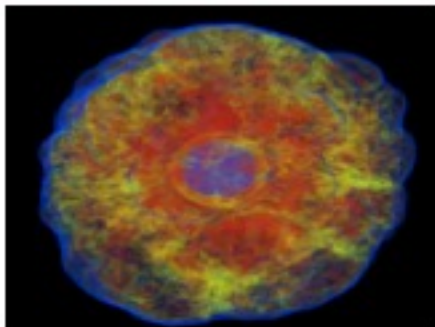
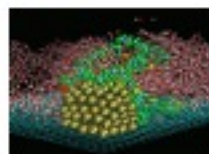
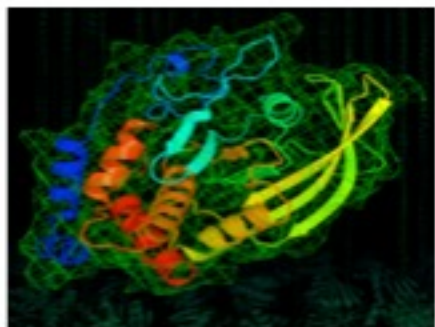
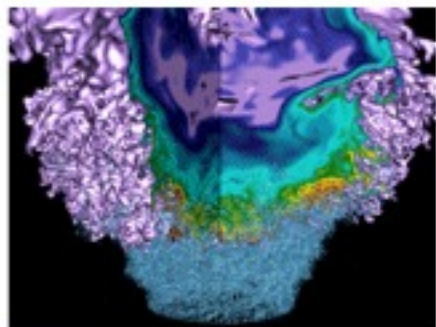


Deep generative modeling for HEP, Cosmology and Fluid Dynamics

APS Physics Next Workshop
October 8th 2018



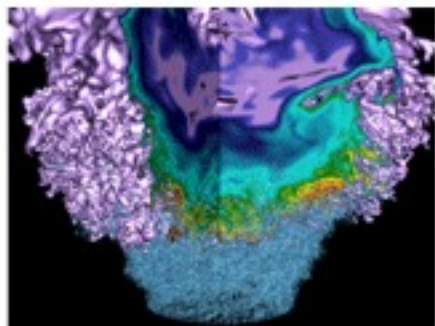
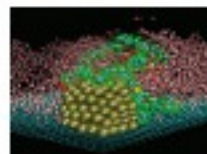
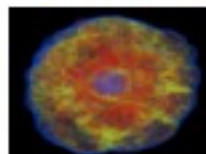
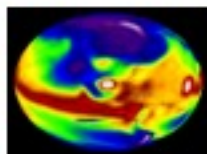
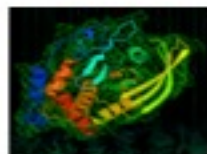
Karthik Kashinath

(feat. Prabhat, Wahid Bhimji, Mustafa Mustafa, Debbie Bard, Steve Farrell, Adrian Albert, Ben Nachmann, Michela Paganini and others)

Lawrence Berkeley Lab (LBNL)

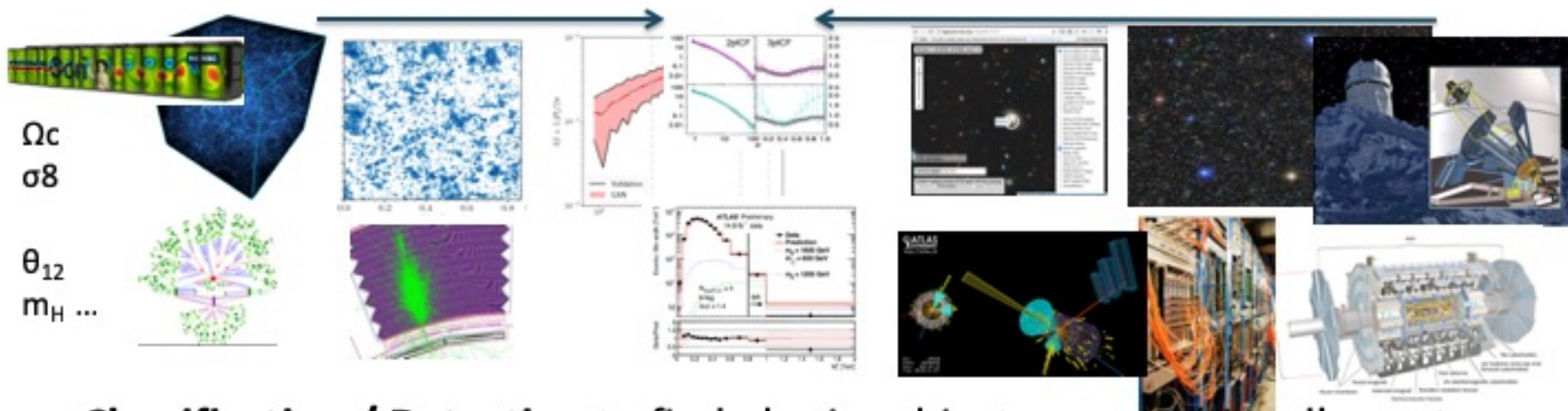
- **Introduction**
 - High Energy Physics (HEP), Cosmology and Fluid Dynamics
 - Deep Learning @ NERSC
- **Current deep generative modeling in HEP, Cosmology and Fluid Dynamics**
 - Cosmology: CosmoGAN
 - HEP: CaloGAN, whole event GAN
 - Fluid Dynamics: physics-constrained GAN
- **Challenges and opportunities**

Introductions

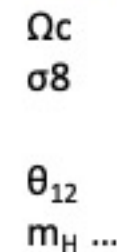


How can Machine Learning help?

NERSC



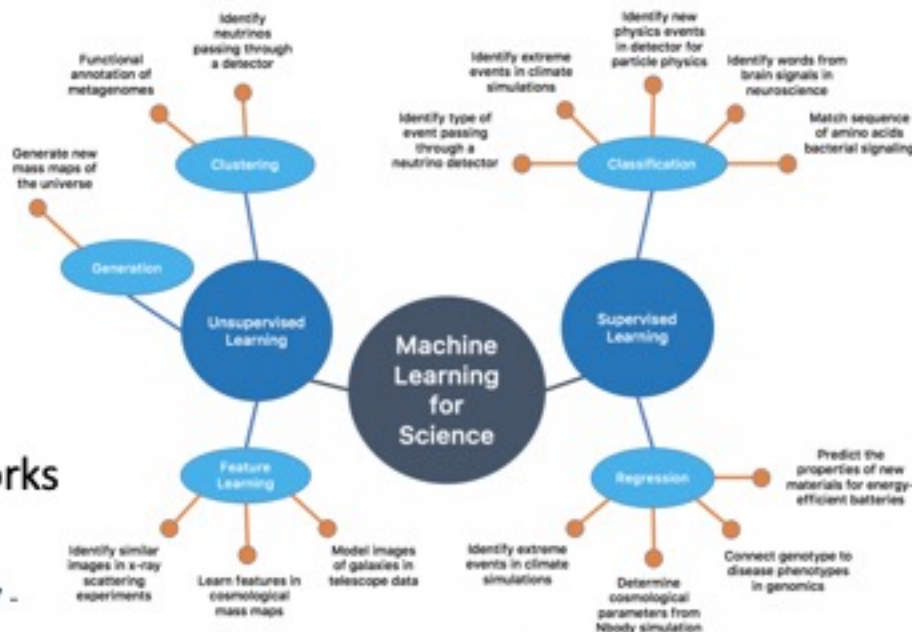
- **Classification / Detection** to find physics objects or new 'signal' events or coherent structures
- **Regression** to aid reconstruction of fundamental physics parameters
- **Clustering / feature detection** in high-dimensional raw data
- **Generation** of data to augment expensive hi-res hi-fi simulations

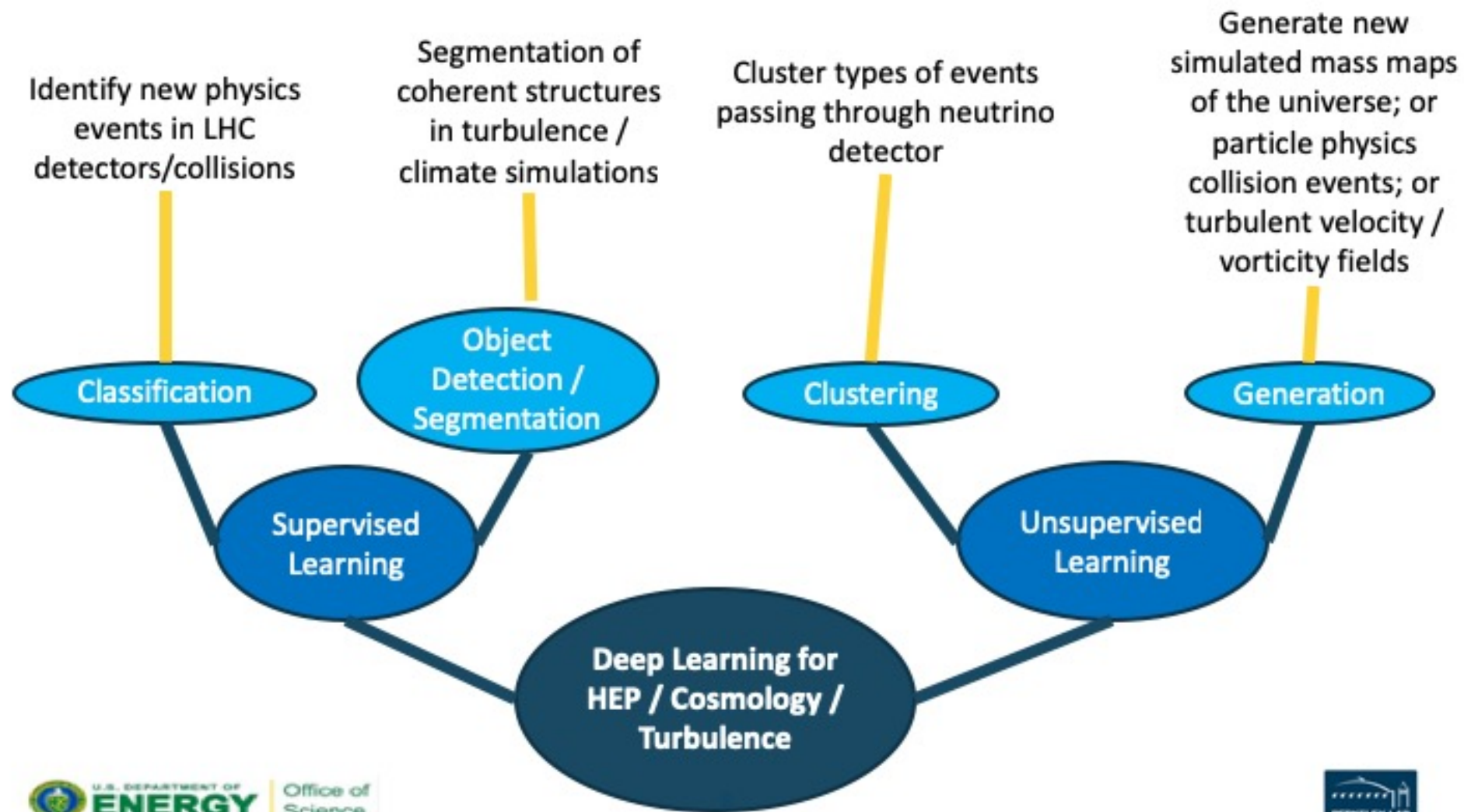


- **Generation of data to augment expensive hi-res hi-fi simulations**

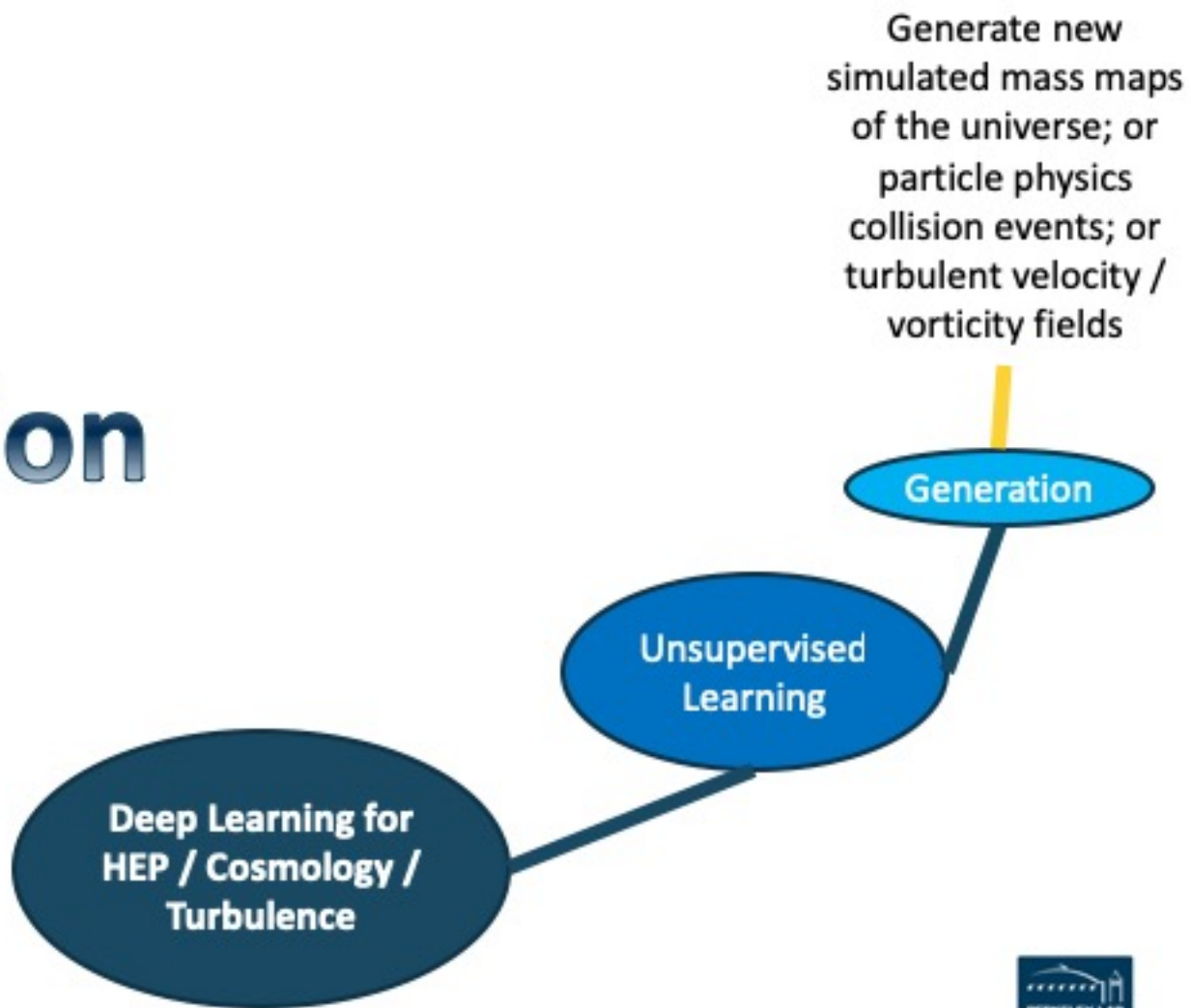


- **Mission high-performance computing center for US Dept. of Energy**
 - >7000 users across many science areas (e.g. cosmology, climate science, bioscience)
- **Cori – NERSC's Newest Supercomputer – Cray XC40 (31.4 PF Peak)**
 - 9668 Intel Knights Landing nodes
- **Data and Analytics (DAS) group:**
 - Develop cutting-edge methods;
 - Build tools for ML / DL;
 - Optimize those for large scales;
 - Collaborate on Projects / Training
 - Support (most) deep learning frameworks



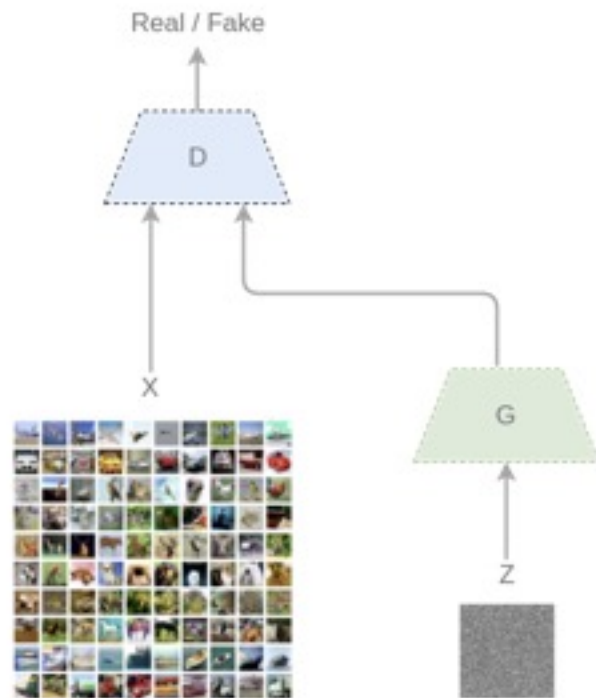


Generation



Deep learning generative models

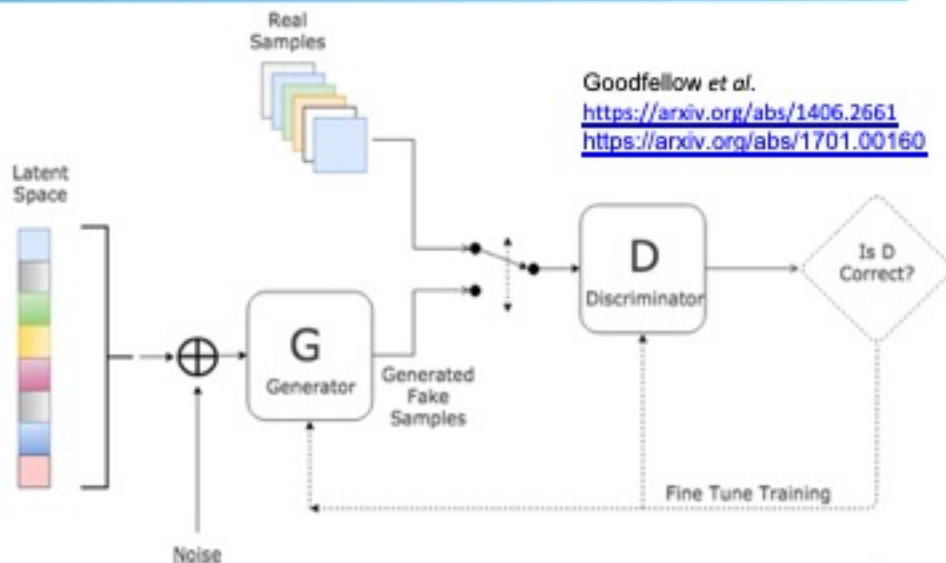
- **Deep neural networks that learn to sample from a data distribution**
 - Transform a simple “noise” distribution to the target distribution
- **Popular examples:**
 - Variational Autoencoder (VAE)
 - Generative Adversarial Network (GAN)
- **The GAN framework poses the problem as a trainable two-player game**
 - A *generator* tries to produce realistic samples
 - A *discriminator* tries to distinguish real from fake samples



Generative Adversarial Networks (GAN)

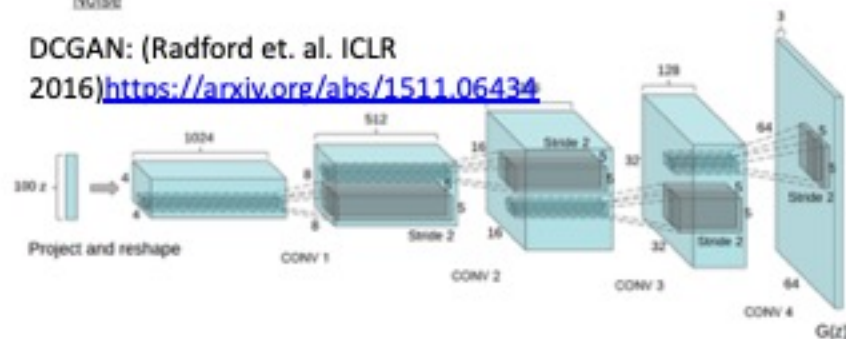


- Jointly optimize Discriminator (D) and Generator (G) NNs
 - G architecture like decoder in VAE
 - Loss for G/D in opposition



Goodfellow et al.
<https://arxiv.org/abs/1406.2661>
<https://arxiv.org/abs/1701.00160>

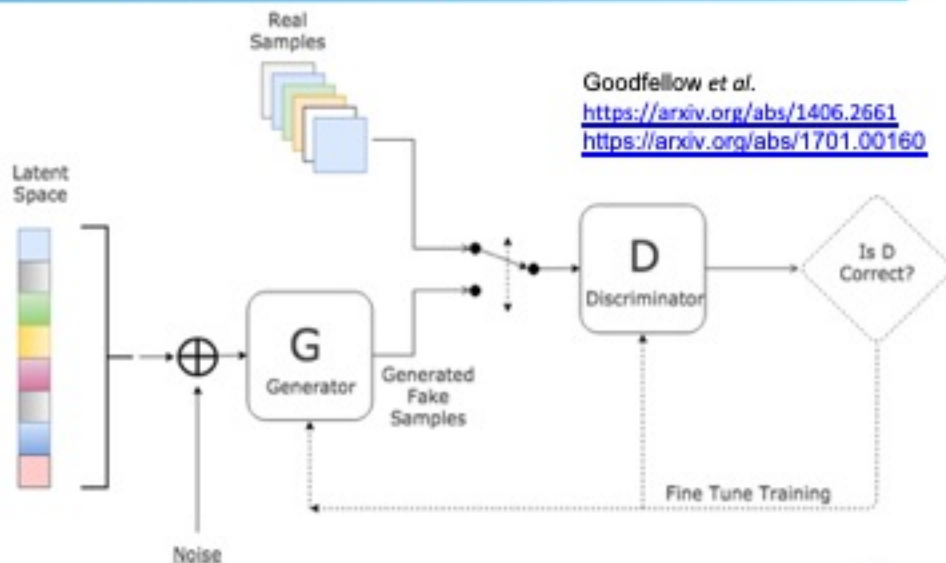
DCGAN: (Radford et. al. ICLR 2016)
<https://arxiv.org/abs/1511.06434>



Generative Adversarial Networks (GAN)

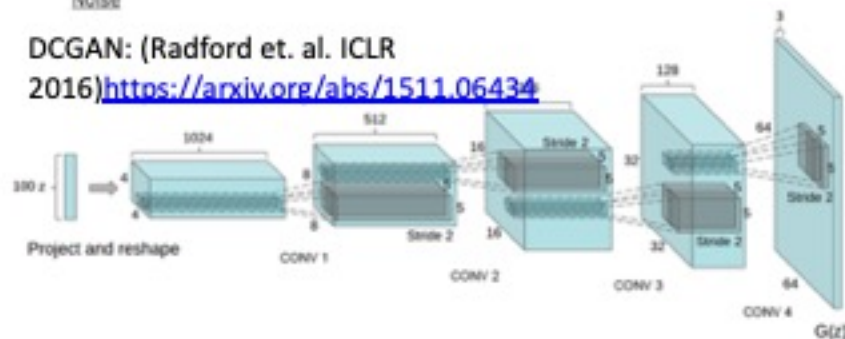


- Jointly optimize Discriminator (D) and Generator (G) NNs
 - G architecture like decoder in VAE
 - Loss for G/D in opposition
- On 'natural images' GANs can be unstable, our problems have advantages:
 - underlying physics structure
 - existing simulation samples
 - metrics to evaluate
- Build on industry research – e.g. convolutional DCGAN



Goodfellow et al.
<https://arxiv.org/abs/1406.2661>
<https://arxiv.org/abs/1701.00160>

DCGAN: (Radford et. al. ICLR 2016)
<https://arxiv.org/abs/1511.06434>



Science Use Case 1: Celebrities!



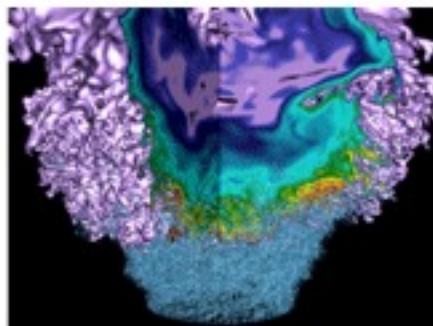
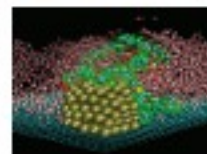
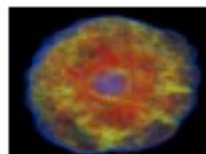
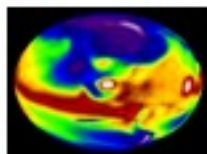
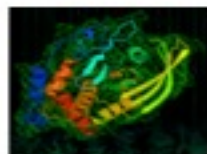
Karras et. al. ICLR 2018



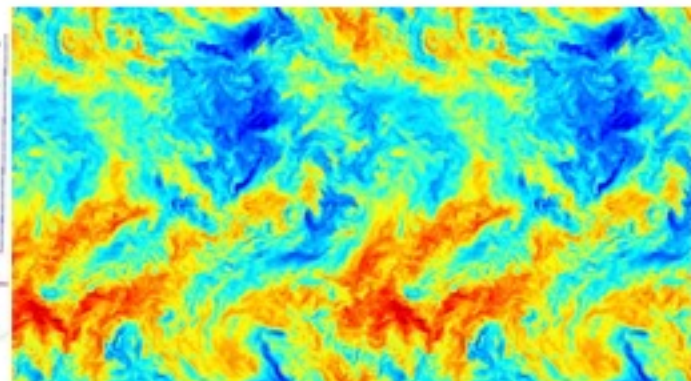
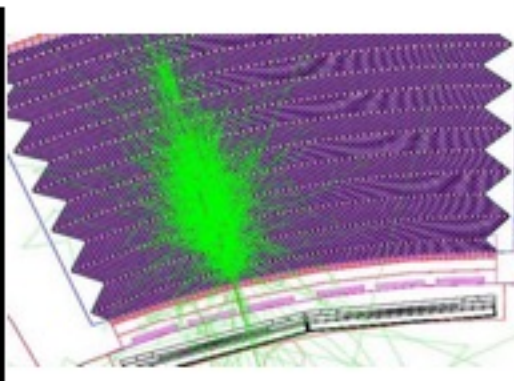
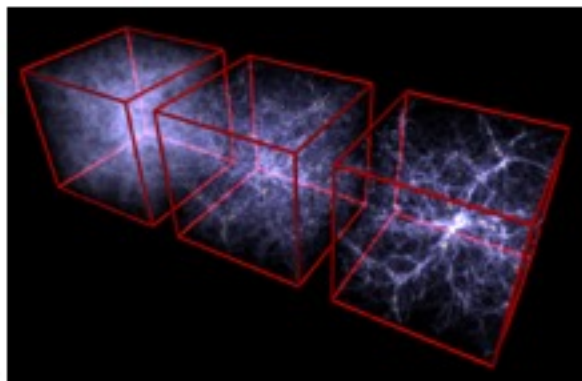
CelebA-HQ
1024 × 1024

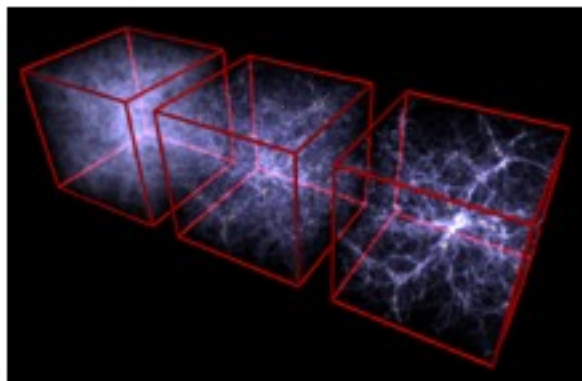
Latent space interpolations

Science Use-cases



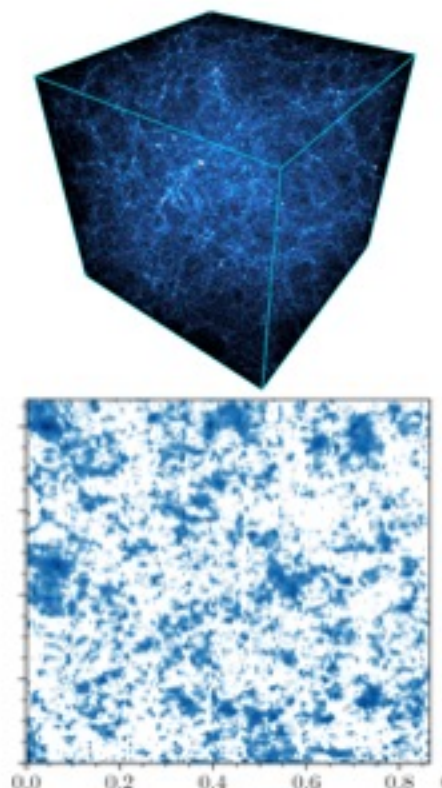
- 1. Simulations essential to science**
- 2. Often computationally expensive**
- 3. Sometimes no good simulation exists**

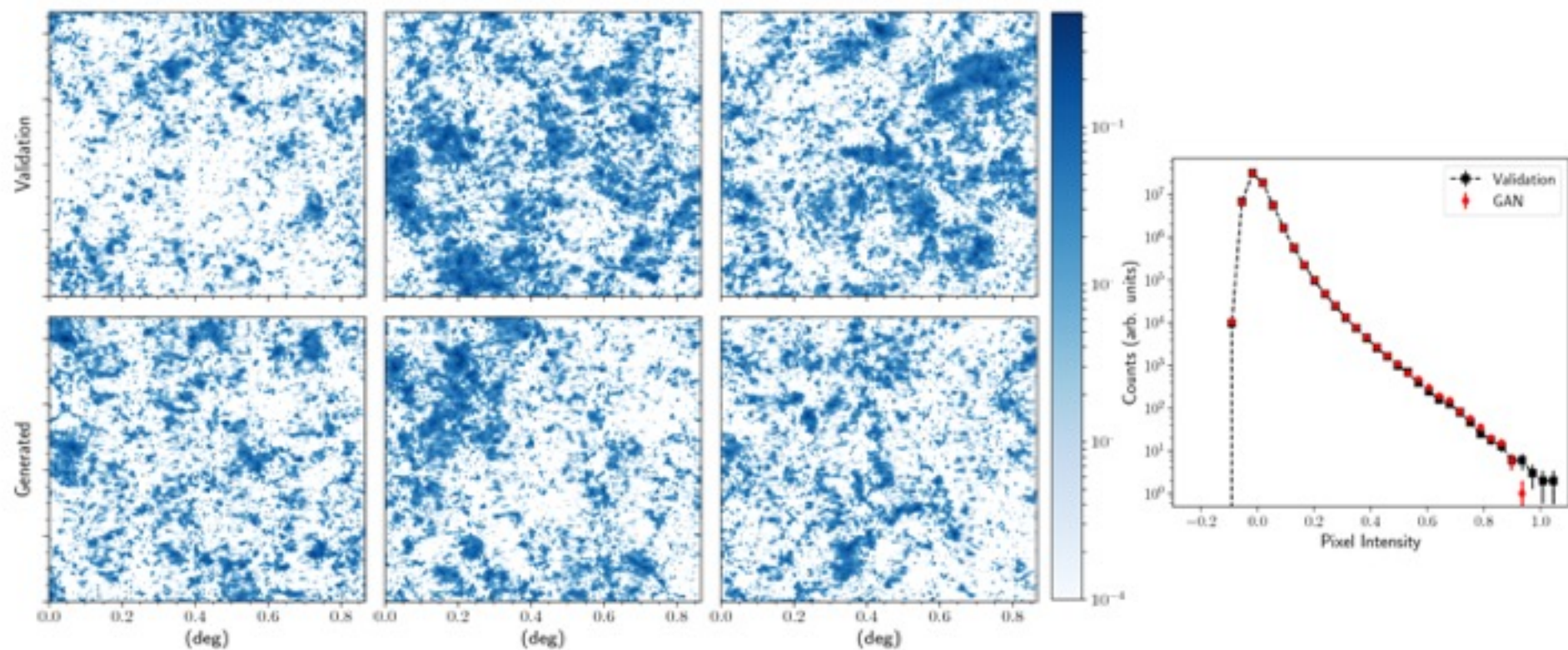




Cosmology

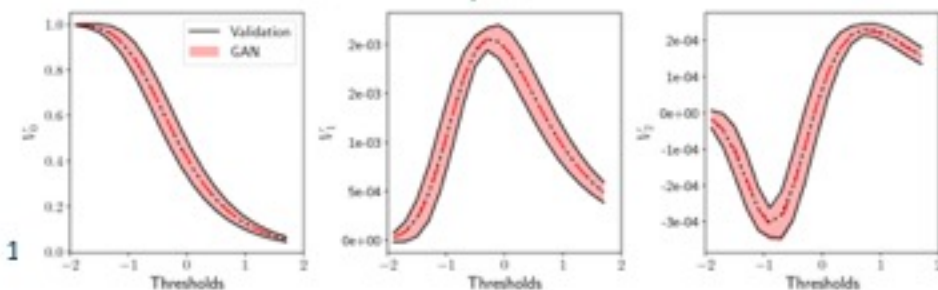
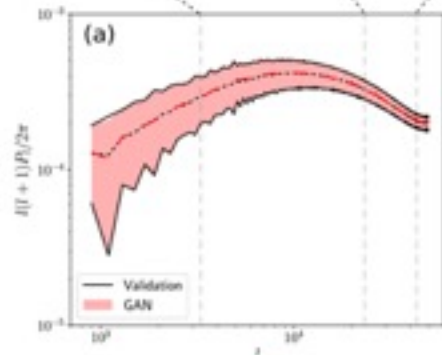
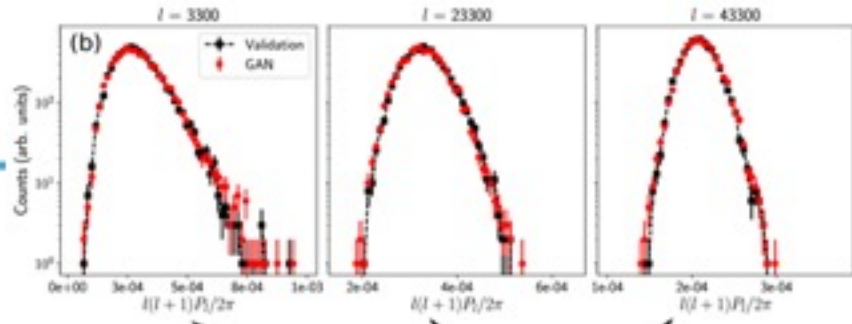
- **Cosmology simulations create ‘virtual universes’**
 - ‘Q-continuum’ HACC sim took ~ 2 weeks on a Cori-sized HPC resource
 - One product is weak lensing convergence maps, to compare to observations
- **Seek to augment simulations with a learned generative neural net**
 - Reproduce convergence maps– images
 - Train using existing simulation maps
 - Once trained produce new examples
- **Use DCGAN type architecture on 256x256 images**



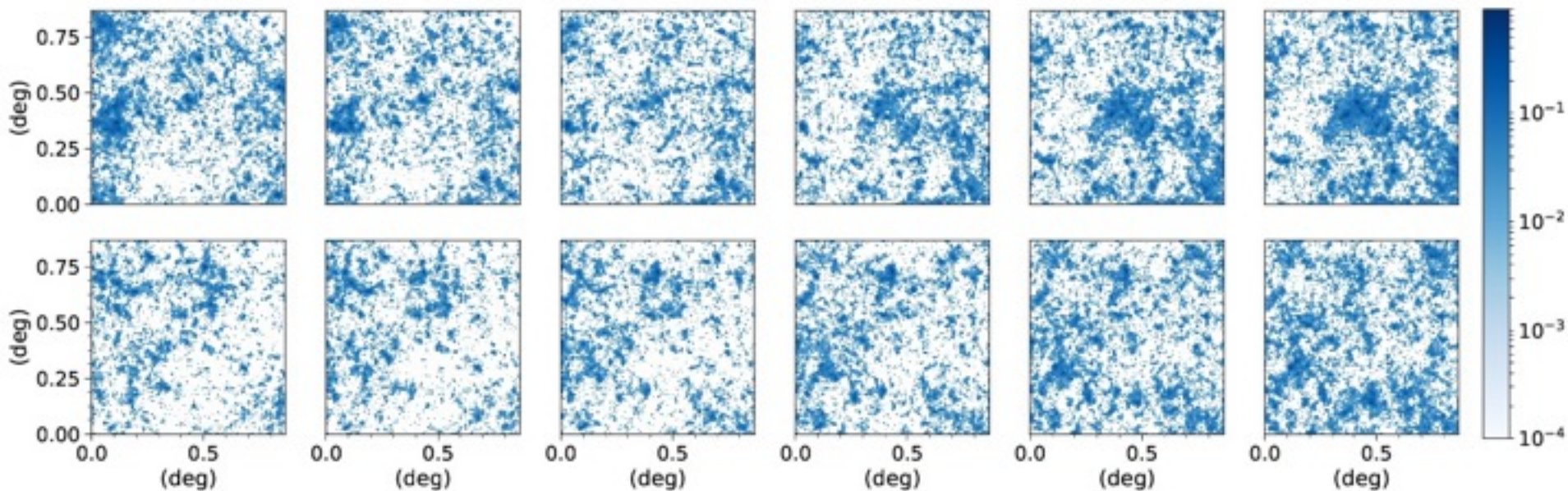


Summary statistics

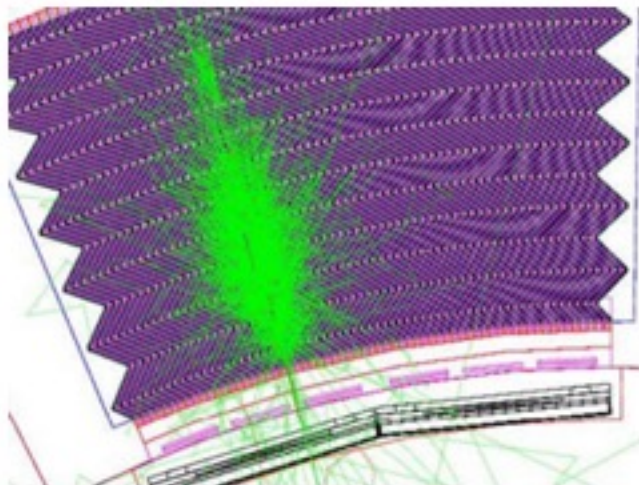
- Calculate power spectrum for generated images and validation sample
 - Fourier transform of 2pt correlation
 - Excellent agreement (K-S $p_value > 0.995$ for 246/248 moments)
 - GAN not explicitly trained to reproduce these distributions
 - Also higher-order *Minkowski functionals* are reproduced



- Varies smoothly between two random input vectors

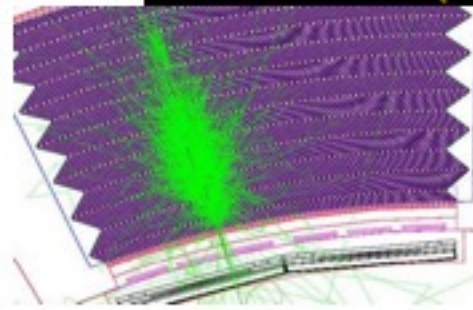
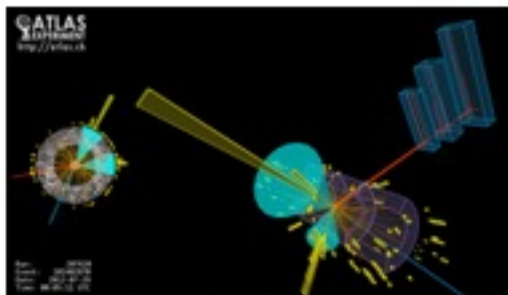
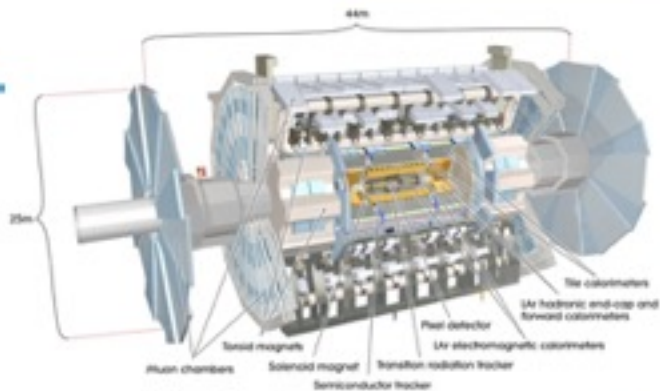


Particle Physics

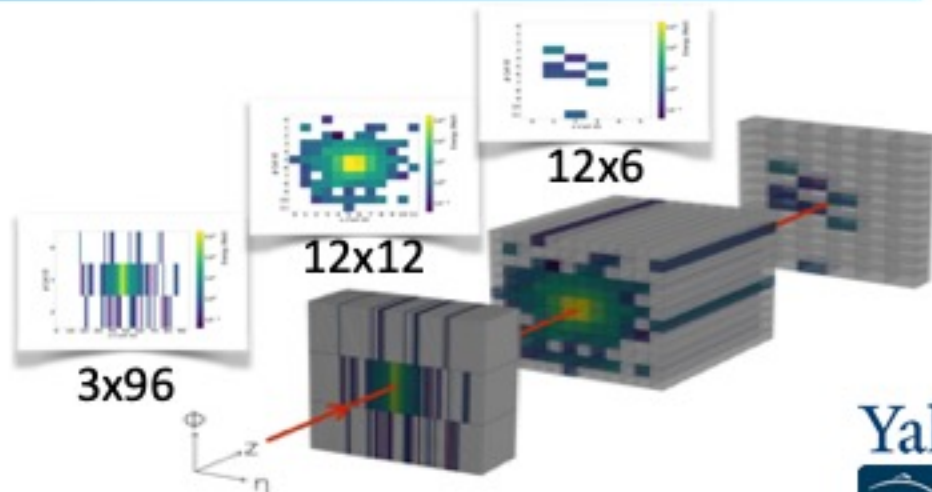


CaloGAN

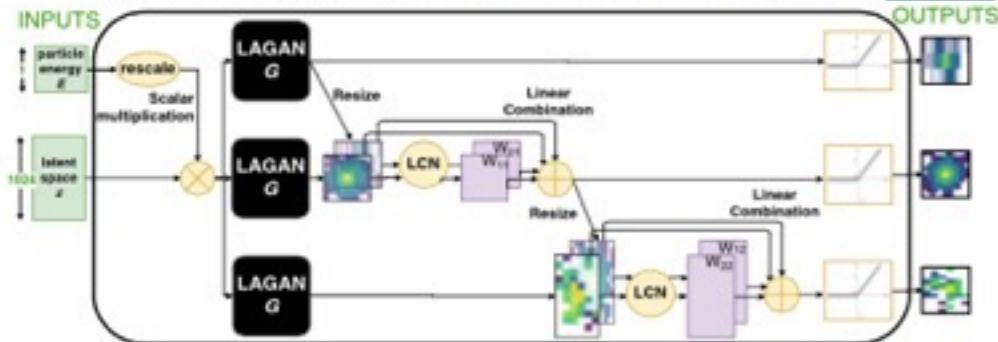
- Collisions in detectors e.g. at the Large Hadron Collider (LHC)
- Need detailed micro-physics detector simulations to model
 - $> \sim 50\%$ LHC computing budget ($> 10^9$ CPU hours in 2017)
 - Much of this compute time in a 'shower' in part of the detector
 - Faster simulation approaches not precise enough for many applications



- CaloGAN models a 3-layer calorimeter like that of the ATLAS LHC experiment
- Custom NN design
 - Sparsity
 - High dynamic range
 - Highly location-dependent features
- **Conditioned** with particle energy as input



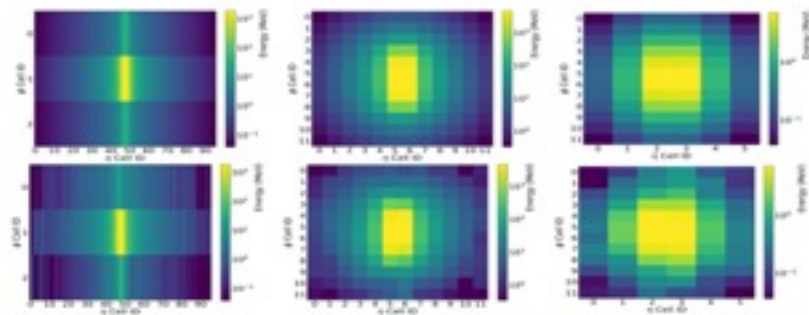
Paganini, de Oliveira, Nachmann [Phys. Rev. Lett. 120, 042003](https://arxiv.org/abs/1808.07243)



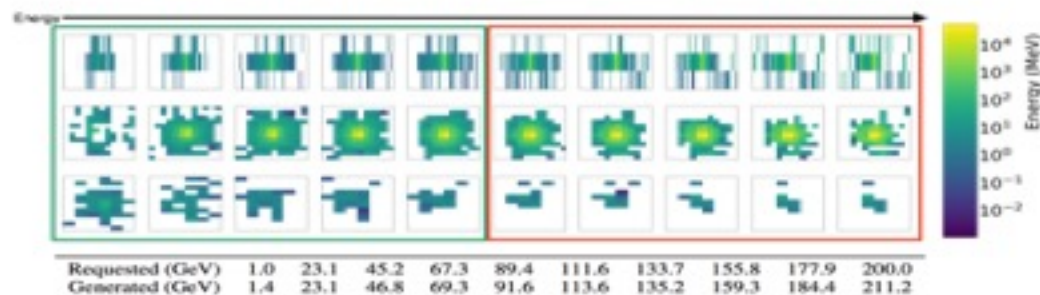
CaloGAN - results



- Realistic averages and individual images
- Conditional generation based on particle energy
 - Allowing parameter interpolation
- Fast
 - 5M particle showers per min on GPU while full simulation on CPU is 30 showers/min



Average energy deposition per calorimeter layer in the GEANT4 training dataset (top) and in the GAN generated dataset (bottom)

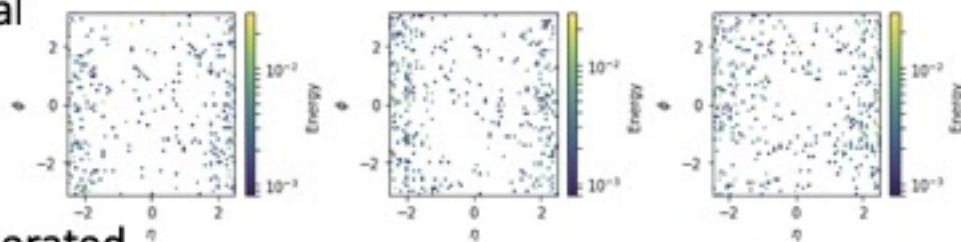


Paganini, de Oliveira, Nachmann [Phys. Rev. Lett. 120, 042003](#)

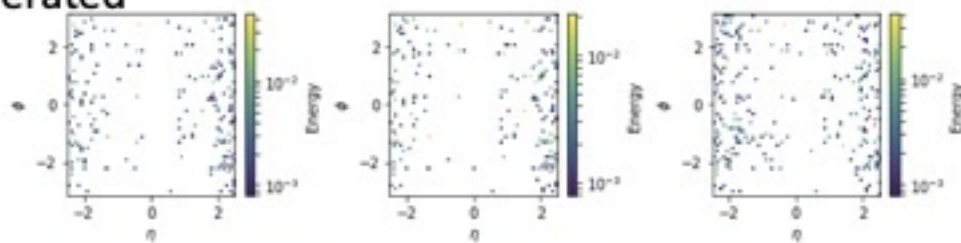
- **Pileup poses big challenges for HL-LHC computing workflows**
 - Need to simulate and store a very large volume of pileup events
 - Need to read this data from disk and overlay during digitization
- **The distribution can be modeled with a whole-detector GAN**
 - Simulate samples and train model *once*
 - Use the trained generator for fast, on-the-fly pileup sampling
- **To test fidelity, now we can evaluate the effects on reconstructed object kinematics**
 - Overlay real pileup or generated pileup
 - Compare the shifts in the distributions

Pileup GAN - $\mu=20$

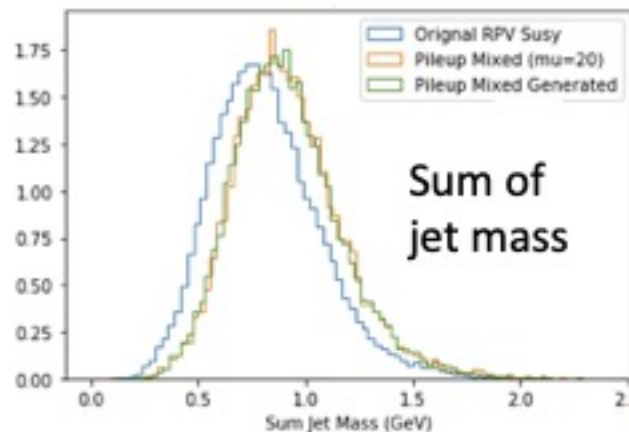
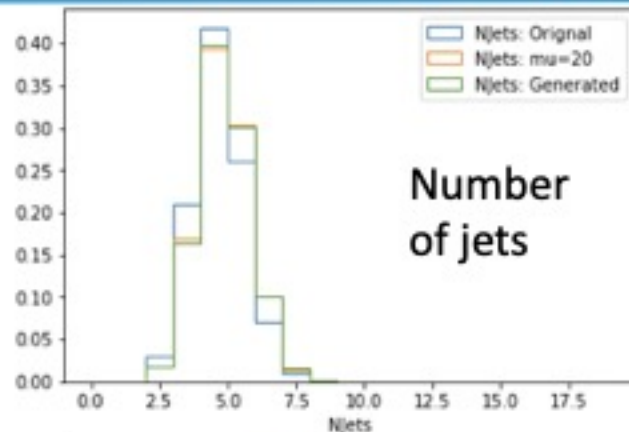
Real



Generated



- The GAN gives realistic looking pileup images
- When overlaid onto RPV events, we see realistic shifts in the distributions



Can a GAN be trained to learn the distribution of full detector images?

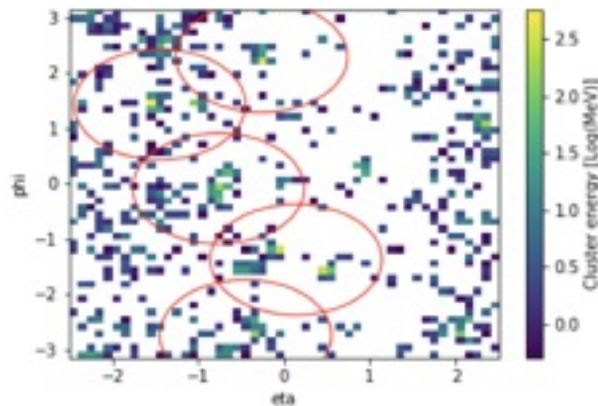
- In HEP, previously only applied to individual *particles*

Can the generator learn to produce realistic jets?

- Reconstruct-able, with the correct distributions?

How could we use such a model?

- Theory parameter interpolation
- Pileup simulation
- Other possibilities



Whole detector GAN



Data

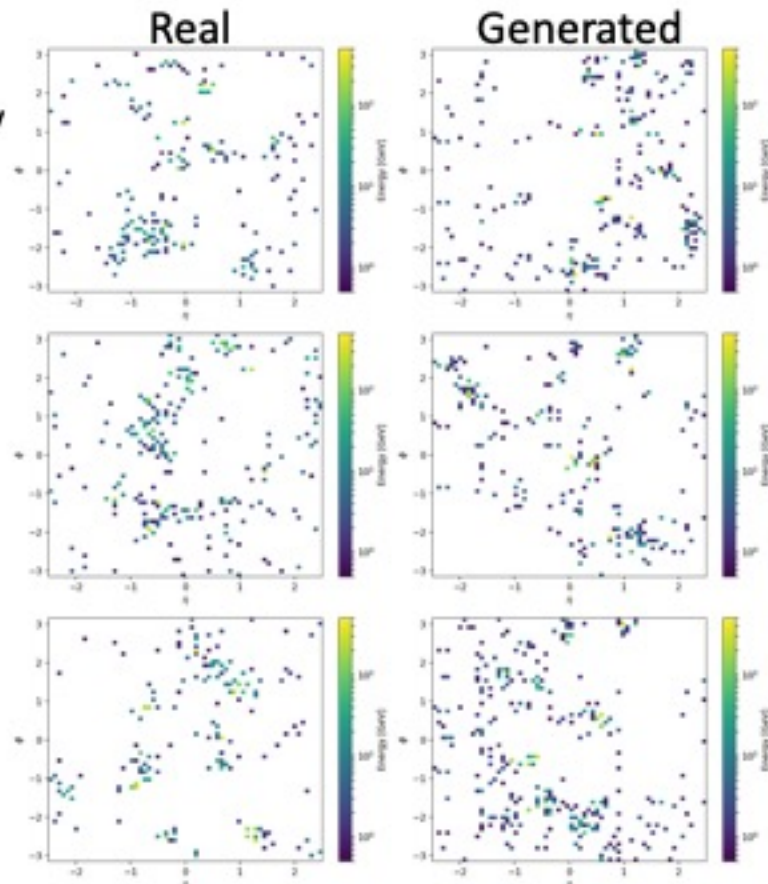
- 64 x 64 x 1 images representing calorimeter tower energy
- Delphes+Pythia simulation using ATLAS detector card

Architecture

- “Standard” DCGAN topology in generator and discriminator
- Threshold on the generator output for sparsity

Evaluation

- Images reconstructed with FastJet ($R=1$, $p_t > 200\text{GeV}$)
- Kolmogorov-Smirnoff test used to compare real and generated jet distributions (#, momenta, directions, etc.)
- KS metric used to select best model and epoch in *random hyper-parameter search*

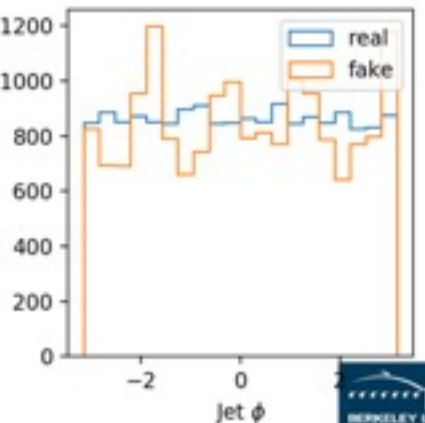
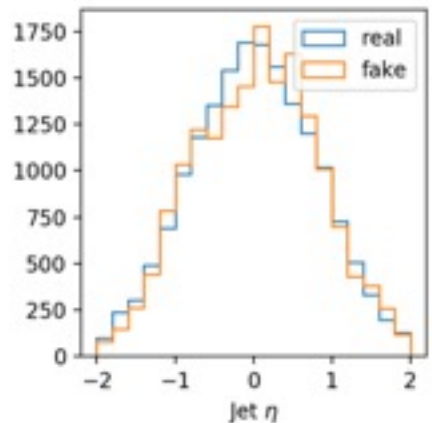
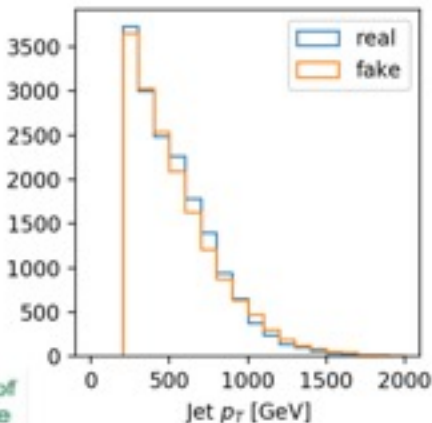
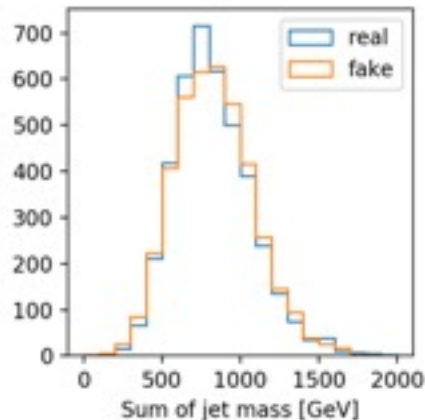
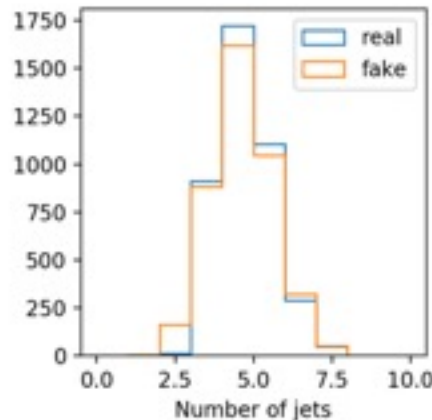
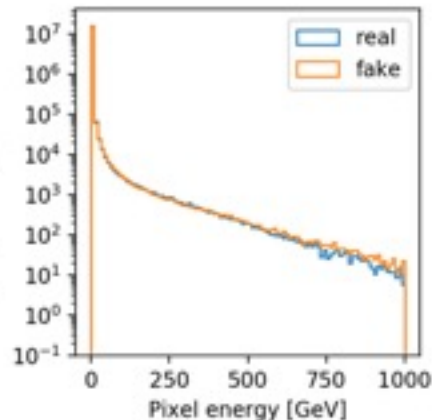


Whole detector GAN



The generated samples produce realistic jet multiplicities and kinematics

This is without imposing *any* physics knowledge!

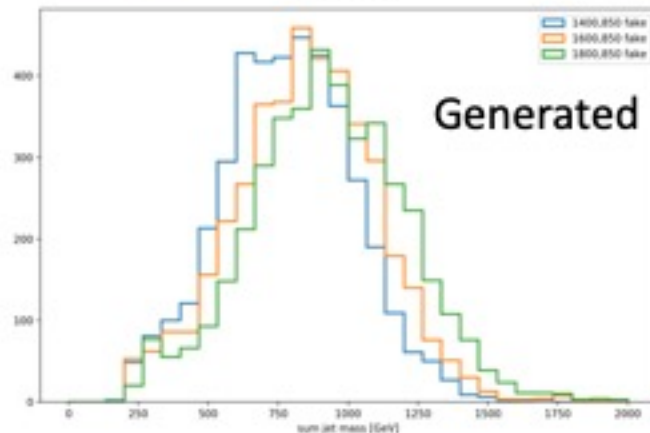
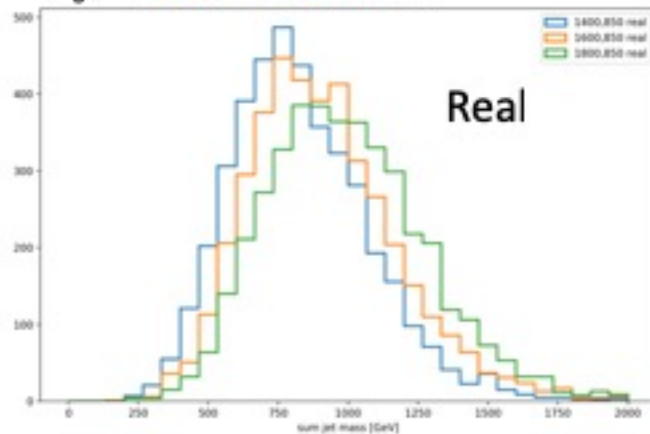


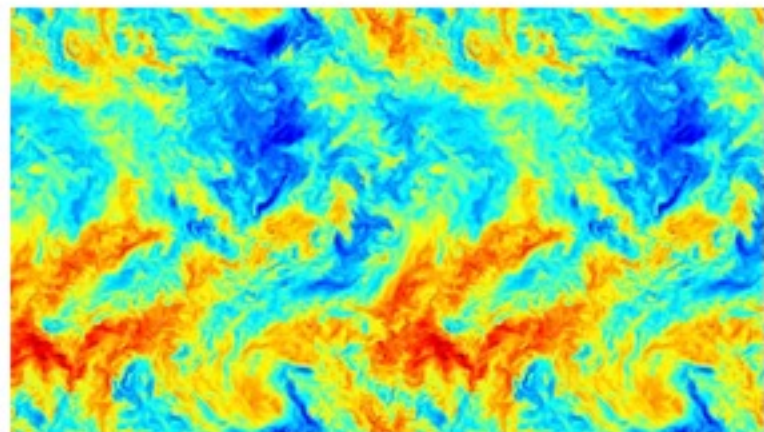
Conditional Whole Detector GAN



- **Can the GAN learn to produce images conditional on the SUSY theory parameters?**
 - We augment the discriminator and generator to be conditioned on $M_{\text{glu}}, M_{\text{neu}}$
- **The GAN is shown to learn the conditional distributions**
 - E.g., summed jet mass shifts as expected
- **Could use this to supplement full simulation in MC signal grids**
 - Coarse full-sim grid
 - Interpolate with GAN

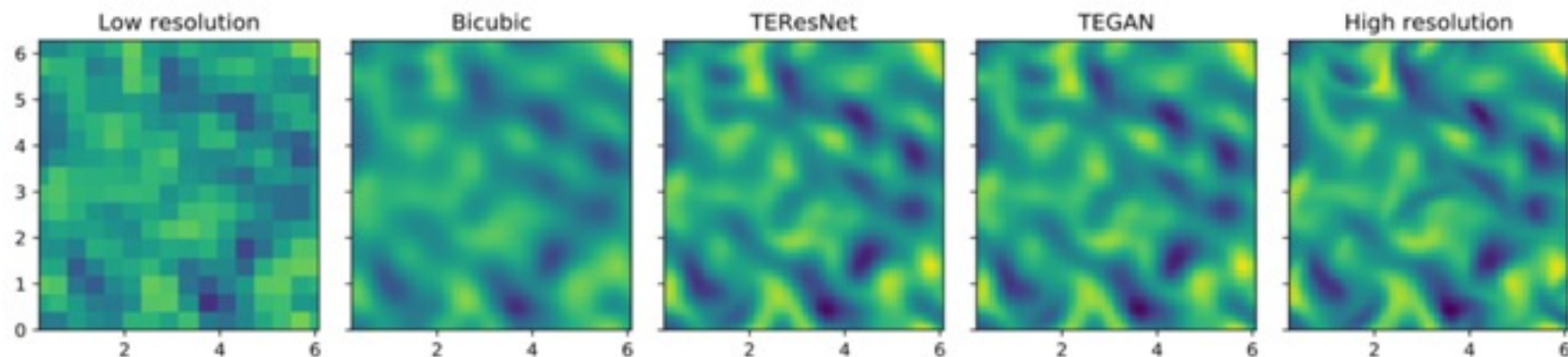
$M_{\text{glu}} = [1400, 1600, 1800] \text{ GeV}$





Turbulence

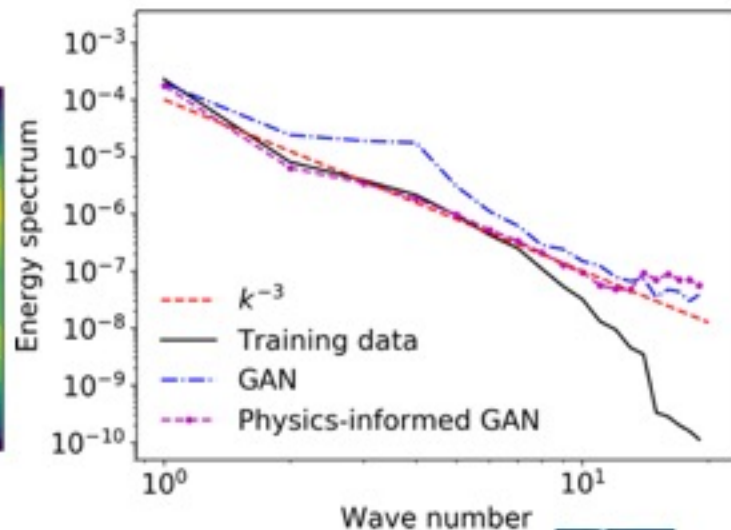
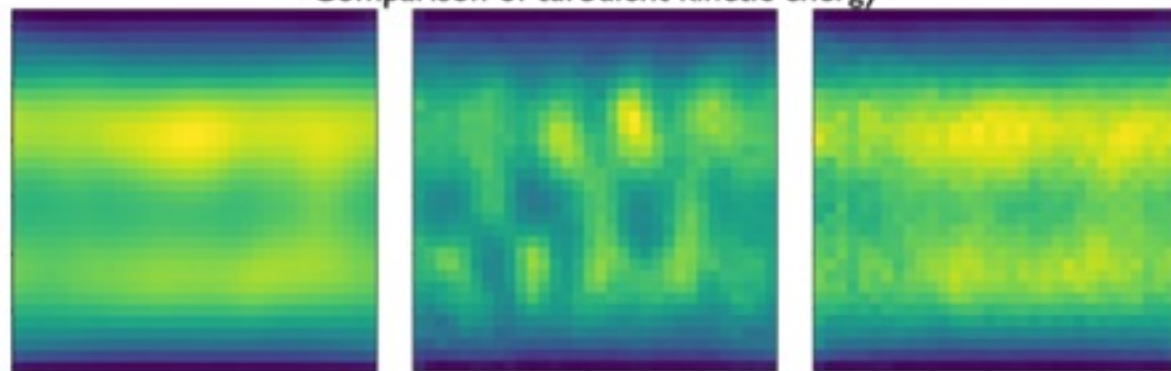
- Turbulence simulations need reliable sub-grid scale models
- Can we impose constraints for turbulence super-resolution? (physical or statistical)



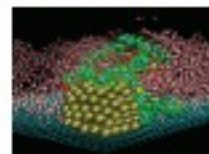
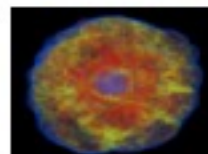
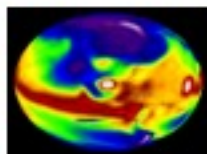
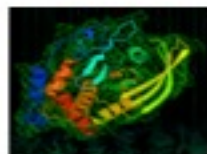
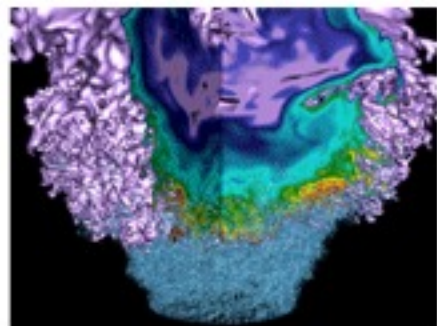
Raunak Borker, Sravya Nimmagadda, Akshay Subramaniam and Man-Long Wong, 2018

- **Constrained GAN converges up to 10x faster than unconstrained GAN**
- **Constrained GANs seem to be more stable**

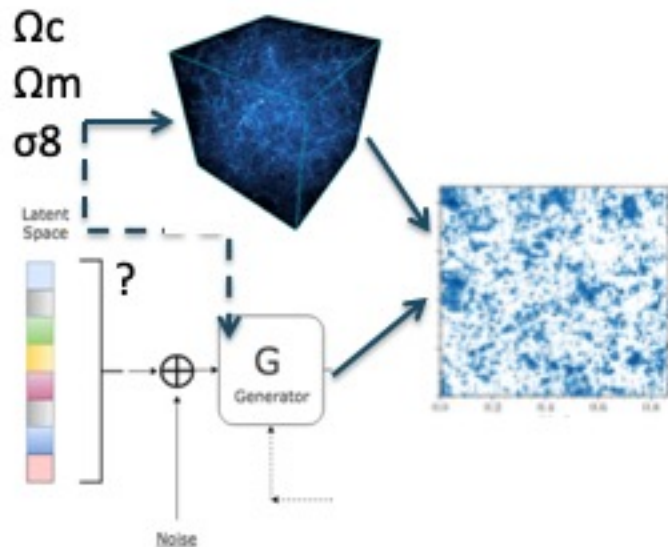
Comparison of turbulent kinetic energy



Future opportunities and challenges



- **GANs can reproduce physical features and learn statistical properties**
 - Including non-Gaussian structures and derived variables
 - With high-accuracy in many cases
 - And fast
- **Many promising opportunities**
 - Reliably interpolate in parameters for fast emulator
 - Compress simulations to model and generate on the fly
 - Create simulations from data *without* a physics model



Computational

- Significant compute required for training
- Challenges in distributed training on HPC resources

Methodological

- Issues in stability and convergence, especially at scale
- Can they generalize to arbitrary geometries (beyond images)?
- How to extrapolate in *physics* parameters?
- How to incorporate known physical laws?

Active/important/impactful area of research – to augment not throw out your HPC simulation

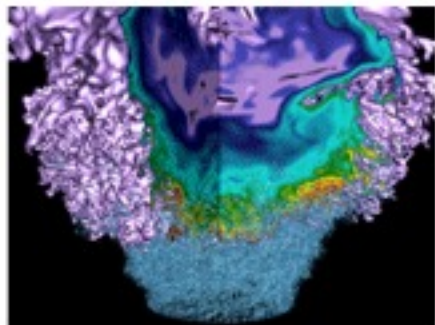
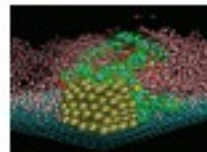
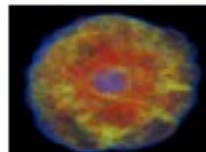
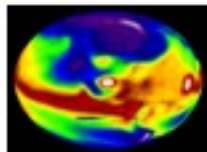
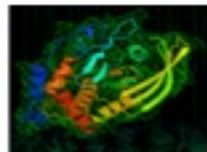
- **Deep generative models show promise for augmenting and accelerating physics simulations as reliable fast emulators**
- **We've demonstrated that GANs can learn complex physics**
 - Can be conditioned on physical parameters (interpolates well)
 - Can incorporate physical / statistical constraints
- **Some applications in 'production' -- more coming...**
 - Potential for huge gains in inference and simulation
- **A number of open challenges remain to bring high-fidelity generative models to practice**
 - Addressing stability, generalizing geometry, etc.



Questions?

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Backups



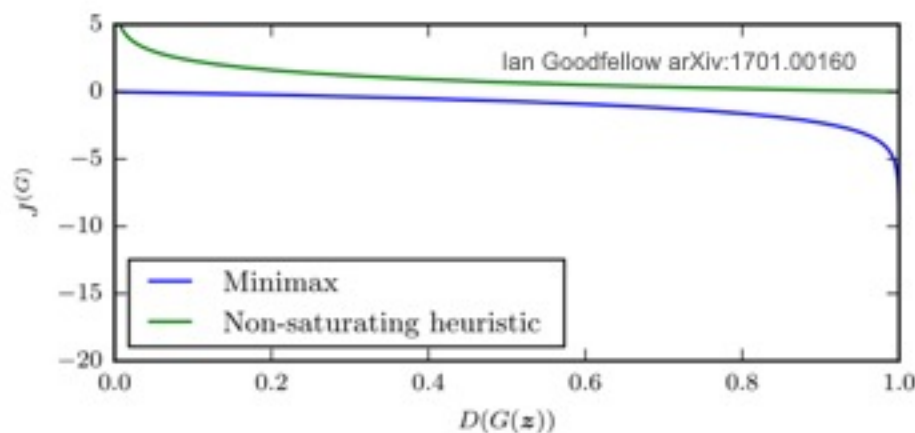
Minimax game formulation (saturating):

$$J^{(D)} = -\frac{1}{2} \mathbb{E}_{x \sim \mathbb{P}_{data}} \log D(x) - \frac{1}{2} \mathbb{E}_{z \sim p_z} \log(1 - D(G(z)))$$

$$J^{(G)} = -J^{(D)}$$

Heuristic loss function (non-saturating):

$$J^{(G)} = -\frac{1}{2} \mathbb{E}_{z \sim p_z} \log D(G(z))$$



GAN not memorizing training images

NERSC

